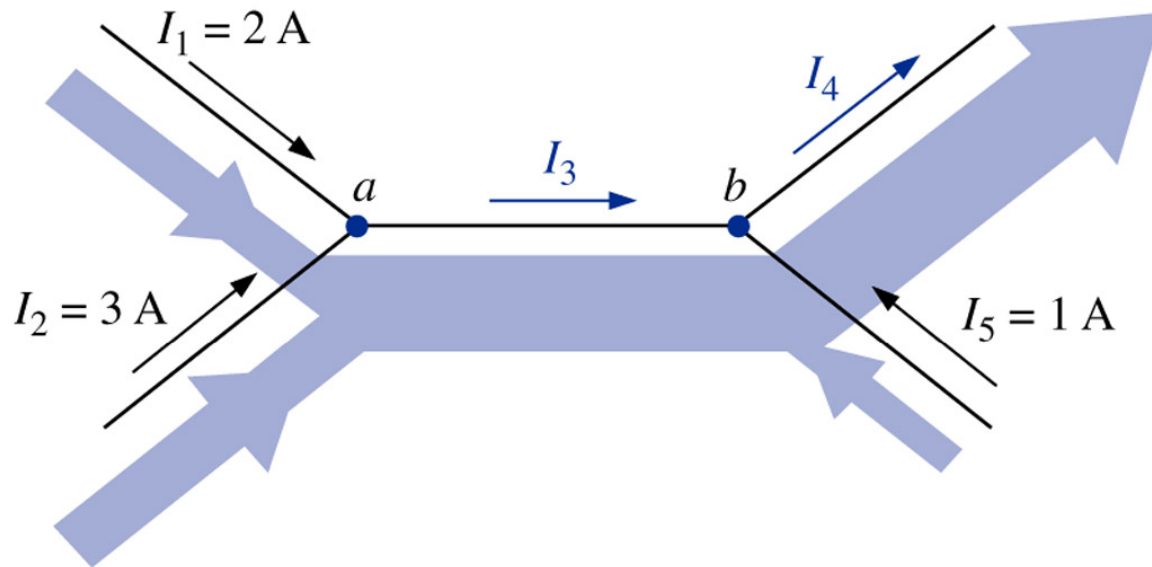


## Breakout #1

■ Find

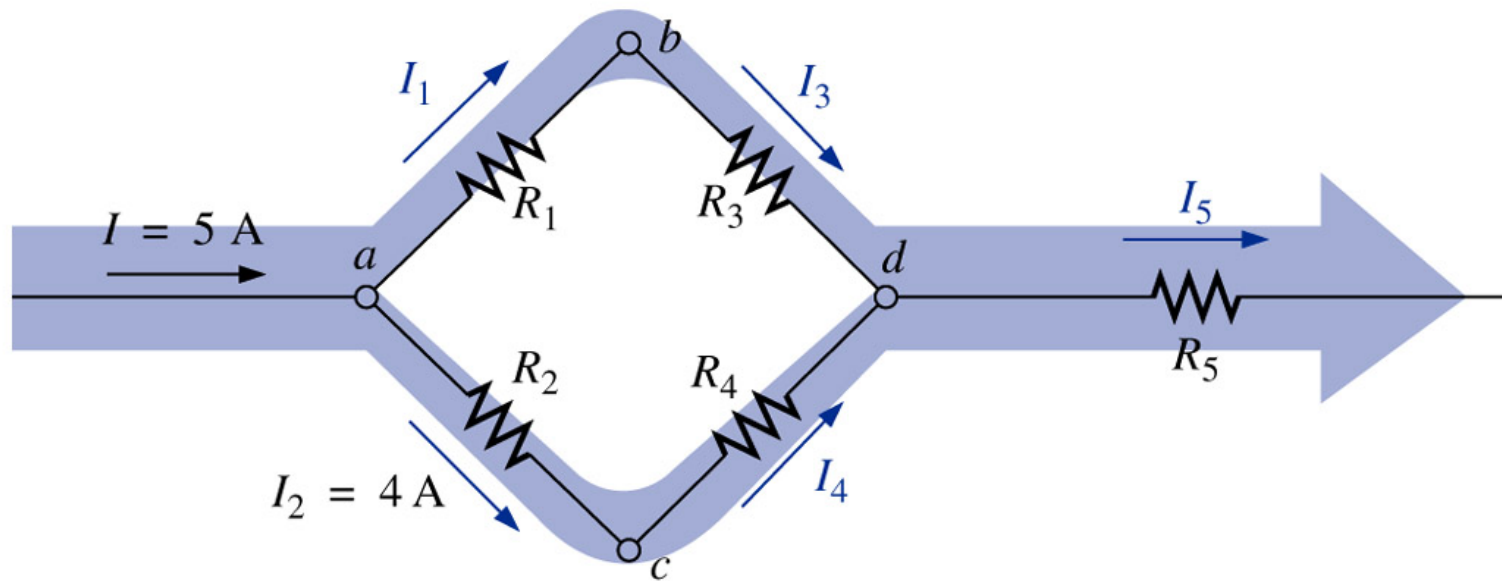
□  $I_3$  and  $I_4$



## Breakout #2

### ■ Find

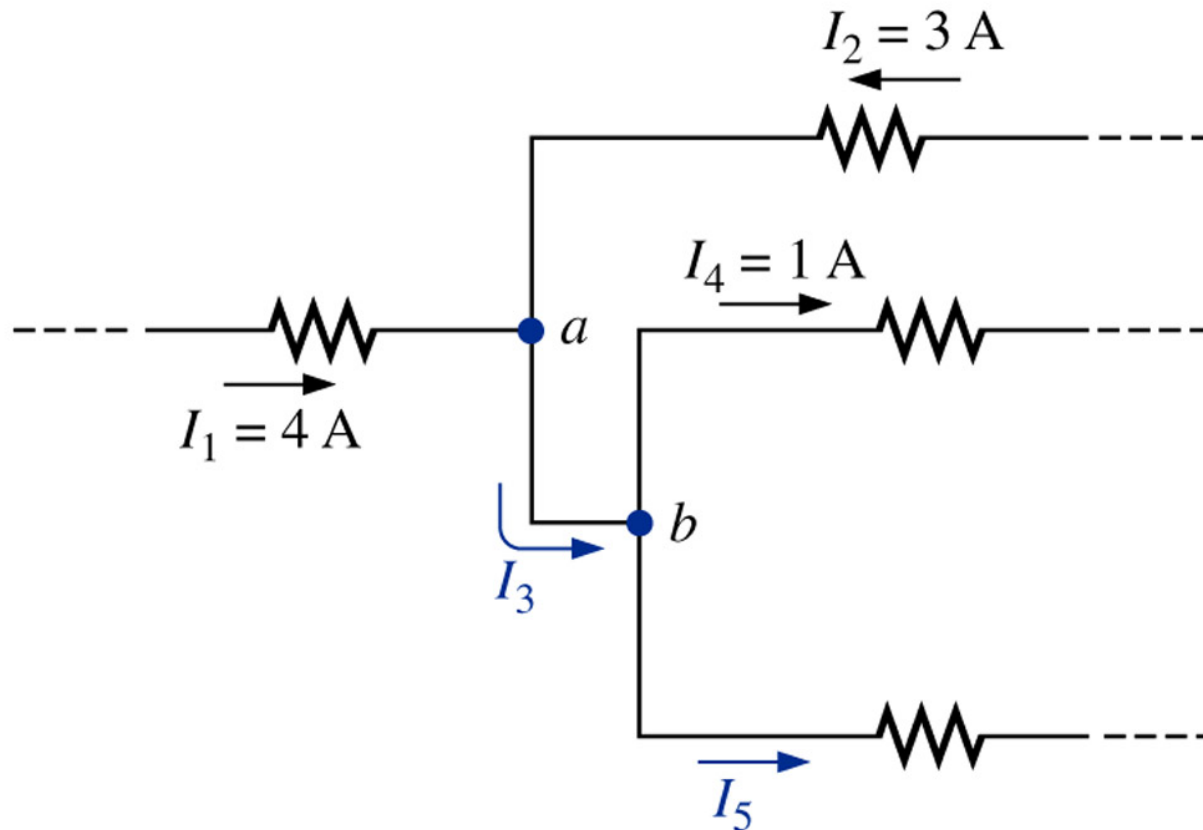
□  $I_1, I_3, I_4, I_5$



## Breakout #3

### ■ Find

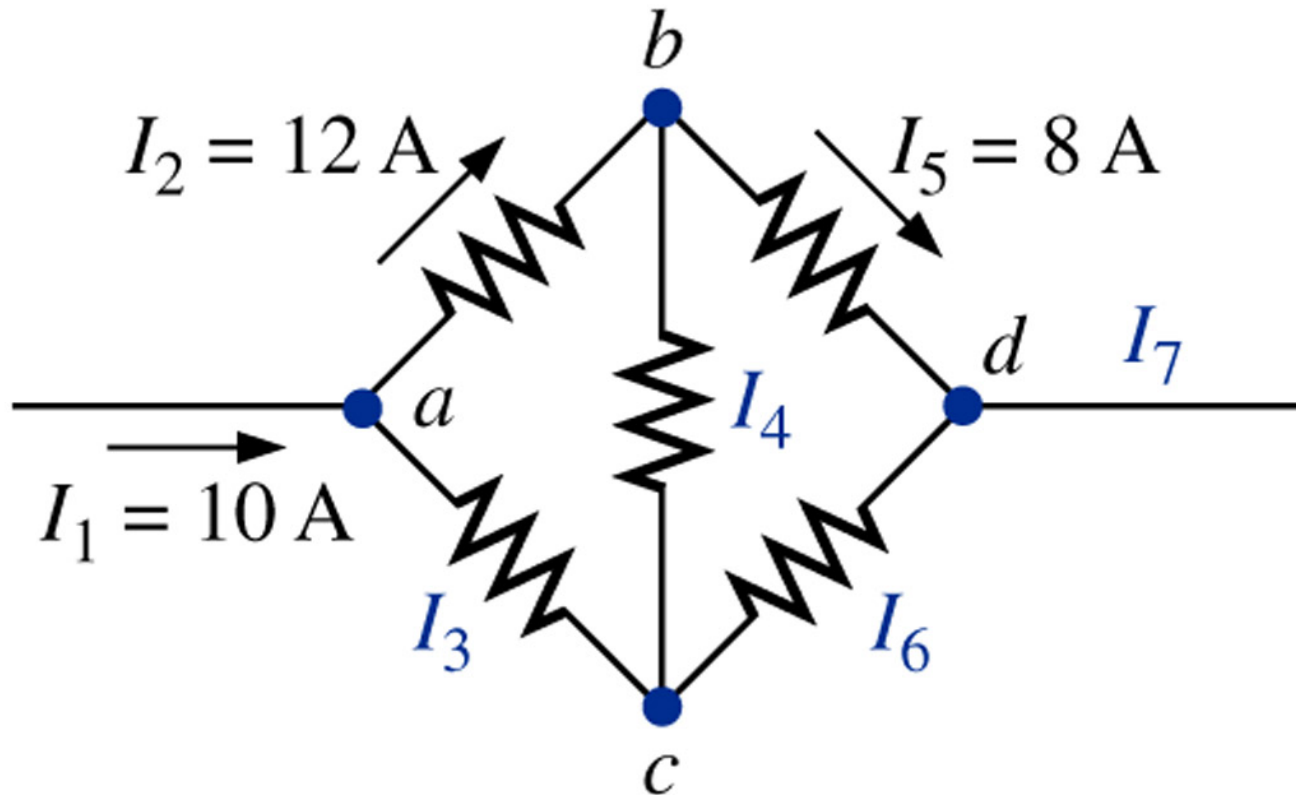
□  $I_3$  and  $I_5$



## Breakout #4

### ■ Find

□  $I_3, I_4, I_6, I_7$  (Direction and magnitude)

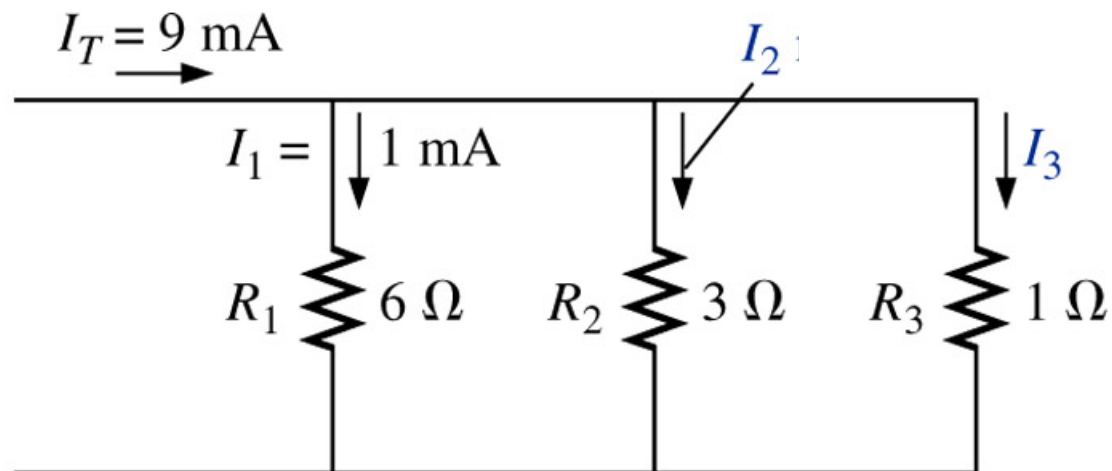


## Current Divider Rule

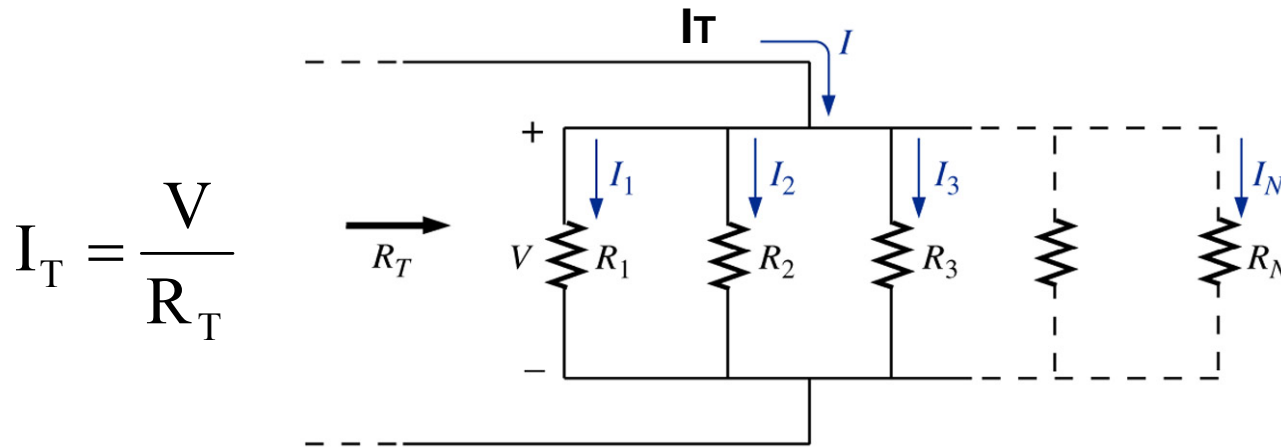
### ■ For ***Parallel*** Elements:

- ☐ of equal value, the current will divide equally
- ☐ with different values, the smaller the resistance, the greater the share of input current
- ☐ with different values, the current will split with a ratio equal to the inverse of their resistor values

## Current Division - Example



# Current Division – General Form



$$I_T = \frac{V}{R_T}$$

But  $V = I_1 \cdot R_1 = I_2 \cdot R_2 = I_N \cdot R_N$

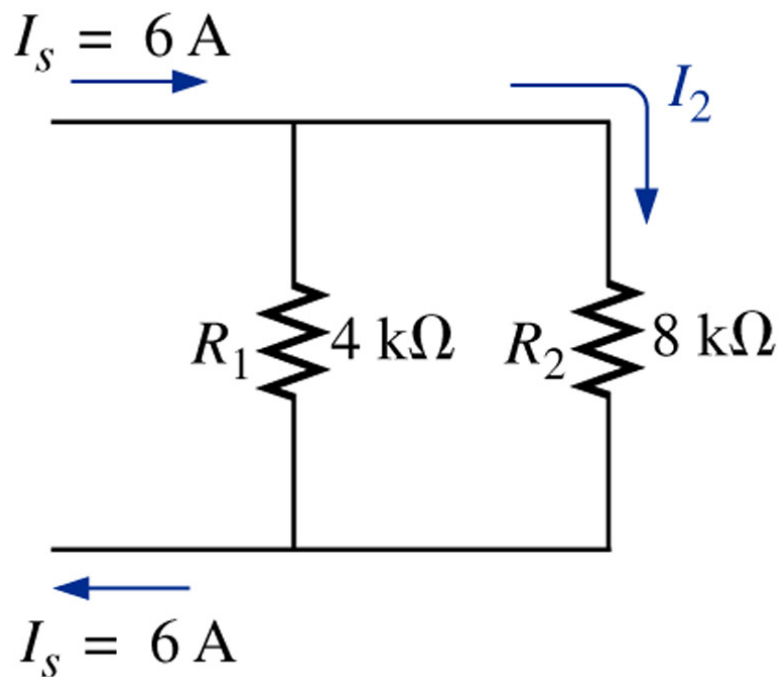
Or,  $V = I_x \cdot R_x$

Substituting yields:  $I_T = \frac{I_x \cdot R_x}{R_T}$

$\therefore I_x = I_T \frac{R_T}{R_x}$  ← **Current divider rule**

- $I_x$  = Unknown current
- $I_T$  = Total input current (into the node)
- $R_T$  = Total parallel resistance (Equiv R)
- $R_x$  = Resistor that  $I_x$  flows through

## Current Division - Example



$$I_2 = I_T \frac{R_T}{R_2}$$

$$I_T = 6 \text{ A}$$

$$R_T = \frac{R_1 \cdot R_2}{R_1 + R_2} = 2.66 \text{ k}\Omega$$

$$R_X = 8 \text{ k}\Omega$$

$$I_2 = 6 \text{ A} \cdot \frac{2.66 \text{ k}\Omega}{8 \text{ k}\Omega} = 2 \text{ A}$$