

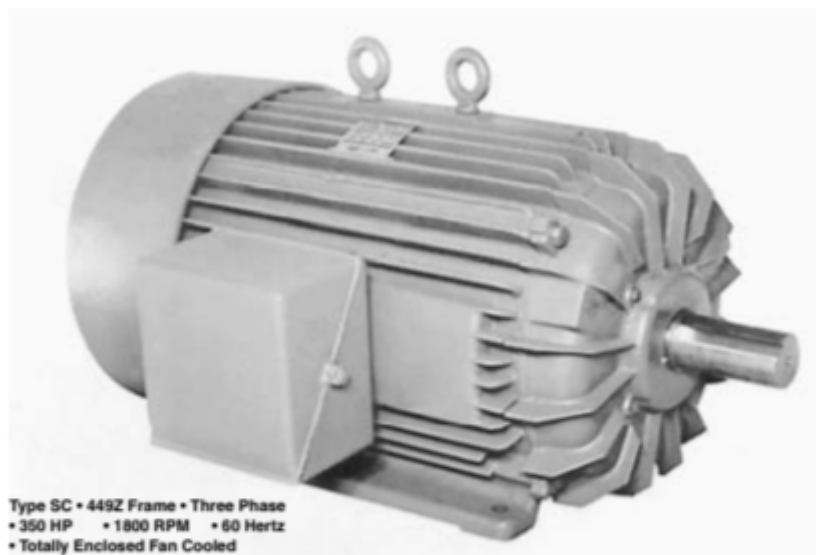
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## Homework 9: due 3/25/2020

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1. What is the difference between a drip-proof motor and an explosion-proof motor?  
Drip-proof motors are protected from dripping liquids up to 15 degrees from the vertical. An explosion-proof motor, by contrast, are fully sealed, and the frames are designed to withstand the enormous pressure.
2. What is the approximate life expectancy for a motor?  
It depends on the size, speed, horsepower, what voltage and current its run at, and how long it is run at one time.
3. Explain what a NEMA Design D motor is unsatisfactory for driving a pump.  
A pump should be a consistent speed, and shouldn't take long to get to full speed. A NEMA Design D motor achieves neither of these.
4. Identify the motor components shown in Fig. 3

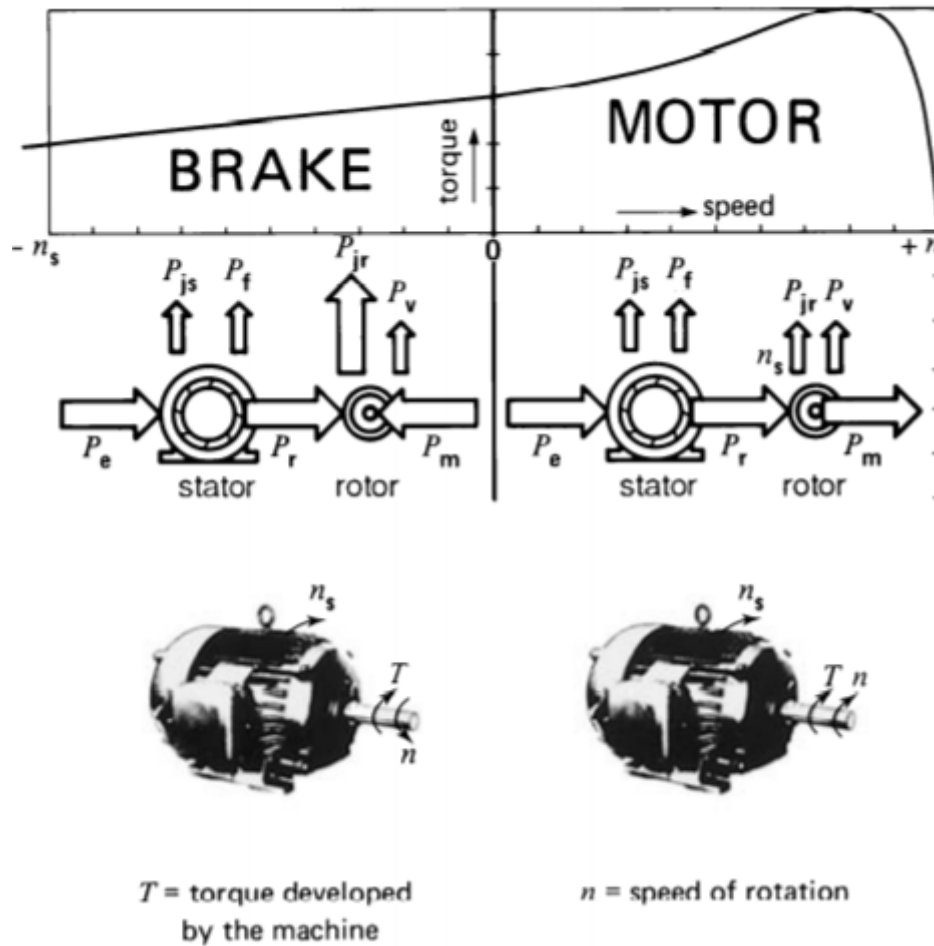


**Figure 3**

Totally enclosed fan-cooled induction motor rated 350 hp, 1760 r/min, 440 V, 3-phase, 60 Hz.

*(Courtesy of Gould)*

5. Show the flow of active power in a 3-phase induction motor when it operates
  1. As a motor.  
Power is being put into the system in the same direction as rotation.
  2. As a brake.  
Power is being put in in the opposite direction of rotation. As such, a lot of power is lost as heat.



6. Will a 3-phase motor continue to rotate if one of the lines becomes open? Will the motor be able to start on such a line?

The motor needs all 3 phases to start. It will be able to run with only two phases, but there will be a lot of excess heat, and the motor will wear out faster.

14. A 300hp, 2.3kV, 3-phase, 60Hz, squirrel-cage induction motor turns at a full-load speed of 590r/min. Calculate the approximate value of rotor  $I^2 R$  losses.

$$P_{jr} = \left( \frac{120 \frac{f}{p} - n}{120 \frac{f}{p}} \right) * (3P) \quad (1)$$

$$P_{jr} = \left( \frac{120 \frac{60Hz}{6 \text{ poles}} - 590rpm}{120 \frac{60Hz}{6 \text{ poles}}} \right) * (3(300hp * 746W/hp))$$

$$P_{jr} = \left( \frac{1200rpm - 590rpm}{1200rpm} \right) * (3(223.8kW))$$

$$P_{jr} = (0.508\bar{3}) * (3(223.8kW))$$

$$\underline{P_{jr} = 341.295kW}$$

If the line voltage then drops to 1944V, calculate the following:

1. The new speed, knowing that the load torque remains the same.

$$n = 1200(1 - s(\frac{V_1}{V_2})^2) = 1200(1 - 0.508\bar{3}(\frac{2300V}{1944V})^2) \quad (2)$$

$$n = 346rpm$$

2. The new power output.

$$P' = P * \frac{n'}{n} = 300hp * \frac{346rpm}{590rpm} \quad (3)$$

$$P' = 176.34hp \approx 131.6kW$$

3. The new  $I^2 R$  losses in the rotor.

$$P_{jr} = (\frac{120\frac{f}{p} - n}{120\frac{f}{p}}) * (3P) \quad (4)$$

$$P_{jr} = (\frac{120\frac{60Hz}{6\ poles} - 346rpm}{120\frac{60Hz}{6\ poles}}) * (3(131.6kW))$$

$$P_{jr} = 0.711\bar{6} * 3(131.6kW)$$

$$P_{jr} = 280.6kW$$

27. The bearings in a motor have to be greased regularly, but not too often. The following schedule applies to two motors:
- Motor A: 75hp, 3550r/min; lubricate every 2200 hours of running time.
- Motor B: 75hp, 900r/min; lubricate every 10000 hours of running time.
- Motor A runs continually, 24 hours per day. Motor B drives a compressor and operates about 6 hours per day. How often should the bearings of each motor be greased per year?
- Motor A should be greased about once every quarter, or 4 times in a year.
- Motor B should be greased about once every 5 years.
28. A 40hp 1780r/min, 460V, 3-phase, 60Hz, drip proof Baldor Super E premium energy induction motor has a power factor of 86% and an efficiency of 93.6%. The motor, priced at \$2243, runs at full-load 12 hours a day, 5 days a week. Calculate the driving cost of the motor during a 3-year period, knowing that the cost of energy is \$0.06/kWh.

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1 12\ hours*5\ days/week\ *52\ weeks/year*3\ years=9360\ hours\\
2 P_{in}={P_{out}\over eff}={40hp*746W/hp\over 0.936}=31.9kW\\
3 Cost=price/kWh*kW*h=\$0.06*9360\ hours*31.9kW\\
4 Running\ cost=\$17,904.00\\
5 Cost\ w/\ motor=\$20,147.00

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$$12 \text{ hours} * 5 \text{ days/week} * 52 \text{ weeks/year} * 3 \text{ years} = 9360 \text{ hours} \quad (5)$$

$$P_{in} = \frac{P_{out}}{eff} = \frac{40hp * 746W/hp}{0.936} = 31.9kW$$

$$Cost = price/kWh * kW * h = \$0.06 * 9360 \text{ hours} * 31.9kW$$

$$Running \text{ cost} = \$17904.00$$

$$Cost \text{ w/ motor} = \$20,147.00$$

$$12 \text{ hours} * 5 \text{ days/week} * 52 \text{ weeks/year} * 3 \text{ years} = 9360 \text{ hours} \quad (5)$$

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$$Running \text{ cost} = \$17,904.00$$

$$Cost \text{ w/ motor} = \$20,147.00$$